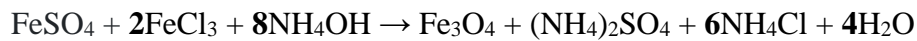


**Appendix 1. Chemical Reactions**  
Chemical reactions Stoichiometry



The product of  $\text{Fe}_3\text{O}_4$  to get a result of 7 grams. Then the first thing calculate the molar value of  $\text{Fe}_3\text{O}_4$  :

- a. Calculate the mol of  $\text{Fe}_3\text{O}_4$

$$\text{mol} = \frac{m}{Mr}$$

$$\text{Mr } \text{Fe}_3\text{O}_4 = 232 \text{ gram}$$

Therefore, mol of  $\text{Fe}_3\text{O}_4$  to get 7 grams of product are

$$\text{mol} = \frac{7}{232} = \mathbf{0,0320 \text{ mol}}$$

- b. Calculate the mol of  $\text{FeSO}_4$

$$\text{mol } \text{FeSO}_4 = \text{Coefficient value of } \text{FeSO}_4 \times \text{mol of } \text{Fe}_3\text{O}_4$$

$$\text{mol } \text{FeSO}_4 = 1 \times 0,032 = \mathbf{0,0320 \text{ mol}}$$

- c. Calculate the mol of  $\text{FeCl}_3$

$$\text{mol } \text{FeCl}_3 = \text{Coefficient value of } \text{FeCl}_3 \times \text{mol of } \text{Fe}_3\text{O}_4$$

$$\text{mol } \text{FeCl}_3 = 2 \times 0,032 = \mathbf{0,064 \text{ mol}}$$

- d. Calculate the mass of  $\text{FeSO}_4$  to get 7 grams of  $\text{Fe}_3\text{O}_4$

$$\text{Massa } \text{FeSO}_4 = \text{mol } \text{FeSO}_4 \times \text{Mr } \text{FeSO}_4 \cdot 7\text{H}_2\text{O}$$

$$\text{Massa } \text{FeSO}_4 = 0,0320 \times 278 = \mathbf{8,896 \text{ gram}}$$

- e. Calculate the mass of iron sand ( $\text{Fe}_2\text{O}_3$ ) to get 7 grams of  $\text{Fe}_3\text{O}_4$

Based on the mol of  $\text{Fe}_2\text{O}_3$   $n = 0,0320$  mol. Then the determination of the mass of the sand is multiplied by the number of mol  $\text{Fe}_2\text{O}_3$  assuming that the content of  $\text{Fe}_2\text{O}_3$  are 81,69%. Then the calculation is:

$$\text{Massa of iron sand} = \text{mol } \text{Fe}_2\text{O}_3 \times \text{Mr } \text{Fe}_2\text{O}_3$$

$$= (0,032 \times 100/81,69) \times 160 = \mathbf{6,27 \text{ gram}}$$

- f. Calculate the mol of  $\text{FeCl}_3$

$$\text{Fe}_2\text{O}_3 : \text{FeCl}_3 = (0,039) : (81,69\% \times 0,039 \times 2)$$

$$\text{mol of } \text{FeCl}_3 = \mathbf{0,064 \text{ mol}}$$

- g. Calculate the mol of HCl

$$\text{Coefficient HCl} : \text{Coefficient } \text{Fe}_2\text{O}_3 = 6 : 1$$

$$\text{mol HCl} = \frac{\text{coef. HCl}}{\text{coef. Fe}_2\text{O}_3} \times \text{mol Fe}_2\text{O}_3$$

$$\text{mol HCl} = \frac{6}{1} \times 0,032 \text{ mol} = \mathbf{0,192 \text{ mol}}$$

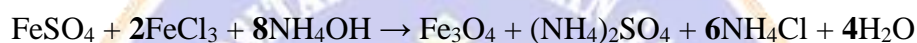
- h. Calculate the volume of HCl

$$\text{mol} = \text{volume} \times \text{molaritas}$$

$$\text{volume} = \frac{\text{mol}}{\text{Molaritas}}$$

$$\text{volume} = \frac{0,192}{12,063} = 0,0159 \text{ l} = \mathbf{15,9 \text{ ml}}$$

- i. The sedimentation reaction of iron salts in a  $\text{NH}_4\text{OH}$  25% solution



$$\text{mol of FeCl}_3 = \mathbf{0,064 \text{ mol}}$$

- j. Calculate the mass of iron salt

$$\text{mass of FeCl}_3 = \text{mol FeCl}_3 \times \text{Mr FeCl}_3$$

$$\text{mass of FeCl}_3 = 0,064 \times 162,5 \frac{\text{gr}}{\text{mol}} = \mathbf{10,4 \text{ gram}}$$

- k. Calculate the mol of  $\text{NH}_4\text{OH}$

$$\text{Coefficient of } \text{NH}_4\text{OH} : \text{Coefficient of FeCl}_3 = 8 : 2$$

$$\text{Mol NH}_4\text{OH} = \frac{\text{coef. NH}_4\text{OH}}{\text{coef. FeCl}_3} \times \text{mol FeCl}_3$$

$$\text{mol NH}_4\text{OH} = \frac{8}{2} \times 0,064 = \mathbf{0,256 \text{ mol}}$$

- l. Calculate the volume of  $\text{NH}_4\text{OH}$

$$\text{Volume NH}_4\text{OH} = \frac{\text{mol NH}_4\text{OH}}{\text{Molaritas NH}_4\text{OH}}$$

$$\text{Volume NH}_4\text{OH} = \frac{0,4256}{6,64285} = 0,038537 \text{ l} = \mathbf{38,537 \text{ ml}}$$

- m. Calculate the mol of  $\text{NH}_4\text{OH}$

$$\text{Coefficient of } \text{NH}_4\text{OH} : \text{coefficient of FeSO}_4 = 8 : 1$$

$$\text{Mol NH}_4\text{OH} = \frac{\text{coef. NH}_4\text{OH}}{\text{coef. FeSO}_4} \times \text{mol FeCl}_2$$

$$\text{mol } NH_4OH = \frac{8}{1} \times 0,032 = 0,256 \text{ mol}$$



**Appendix 2.** Calculation of lattice parameters

The calculation of the width of the mesh uses the Bragg equation.

$$n\lambda = 2d\sin\theta$$

$$d = \frac{n\lambda}{2\sin\theta}$$

In determining the value of a lattice parameter for a cubic crystal structure using the following equation.

$$a = d_{hkl}\sqrt{h^2 + k^2 + l^2}$$

**Table 1.** Calculation of lattice parameters pH 9

$\lambda(\text{\AA})$	$2\theta$	$\theta$	$\sin\theta$	h	k	l	$d_{hkl}$	a
1,5406	21,16978	10,58489	0,183692	1	1	1	4,193429626	7,26323317
1,5406	30,10588	15,05294	0,259711	2	2	0	2,96598423	8,389070249
1,5406	35,47378	17,73689	0,304646	3	3	1	2,528505421	11,02149961
1,5406	36,58537	18,29269	0,313871	2	2	2	2,454191092	8,501567326
1,5406	43,13566	21,56783	0,367602	4	0	0	2,095470251	8,381881005
1,5406	53,38174	26,69087	0,449177	4	2	2	1,714915557	8,401336133
1,5406	57,03821	28,51911	0,477452	5	1	1	1,613356671	8,383247176
1,5406	62,62215	31,31108	0,519684	4	4	0	1,482246148	8,384850422
<b>Average lattice parameters</b>								8,590835636

**Table 2.** Calculation of lattice parameters pH 9

$\lambda(\text{\AA})$	$2\theta$	$\theta$	$\sin\theta$	h	k	l	$d_{hkl}$	a
1,5406	30,18307	15,09154	0,260362	2	2	0	2,958575	8,368113
1,5406	35,55026	17,77513	0,305282	3	3	1	2,523241	10,99855
1,5406	43,20692	21,60346	0,368181	4	0	0	2,092179	8,368717
1,5406	53,52965	26,76483	0,450329	4	2	2	1,710525	8,379829
1,5406	57,13702	28,56851	0,478209	5	1	1	1,610801	8,369968
1,5406	62,7346	31,3673	0,520522	4	4	0	1,479859	8,371349
<b>Average lattice parameters</b>								8,809421

**Table 3.** Calculation of lattice parameters pH 11

$\lambda(\text{\AA})$	$2\theta$	$\theta$	$\sin\theta$	h	k	l	$d_{hkl}$	a
1,5406	30,20171	15,10086	0,260519	2	2	0	2,956791	8,363068
1,5406	35,56887	17,78444	0,305437	3	3	1	2,521963	10,99298
1,5406	43,22874	21,61437	0,368358	4	0	0	2,091174	8,364695
1,5406	53,62985	26,81493	0,451111	4	2	2	1,707566	8,365329
1,5406	57,16377	28,58189	0,478414	5	1	1	1,610111	8,366382
1,5406	62,7863	31,39315	0,520908	4	4	0	1,478765	8,365159
<b>Average lattice parameters</b>								8,802936



### Appendix 3. Calculation of crystal size

Calculation of crystal size using the Debye-Scherrer equation

$$D = \frac{K \lambda}{B \cos \theta}$$

Description:

D = crystal size

K = Scherrer constant (0.9)

$\lambda$  = X-ray wavelength (0.15406 Å)

B = FWHM, width half the peak of the maximum wave (from XRD data analysis using ORIGIN)

$\theta$  = Wave angle

**Table 1.** Calculation of crystal size pH 9

$2\theta$	FWHM	Crystal size (nm)
21,16978	1,28658	6,281622987
30,10588	0,3888	21,15888226
35,47378	0,34179	24,40317954
36,58537	1,03568	8,078862761
43,13566	0,36138	23,63828135
53,38174	0,63003	14,11324781
57,03821	0,4132	21,88138845
62,62215	0,38045	24,44090914
<b>Average crystal size</b>		17,99954679

**Table 2.** Calculation of crystal size pH 10

$2\theta$	FWHM	Crystal size (nm)
30,18307	0,34555	22,19736445
35,55026	0,40577	18,64367621
43,20692	0,44156	16,72759422
53,52965	1,50559	4,711214456
57,13702	0,53386	13,06904342
62,7346	0,53044	12,78790319



<b>Average crystal size</b>	14,68946599
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**Table 3.** Calculation of crystal size pH 11

<b>2<math>\theta</math></b>	<b>FWHM</b>	<b>Crystal size (nm)</b>
30,20171	0,52463	15,68425
35,56887	0,556	15,00536
43,22874	0,53856	15,86666
53,62985	0,9272	9,600388
57,16377	0,66634	13,57683
62,7863	0,75178	12,3795
<b>Average crystal size</b>		13,6855



#### Appendix 4. Research Documentations

Documentation of Experiments in the Laboratory	
	
Filtering Tianyar iron sand	Cleans the iron sand from the sink using ultrasonic waves
	
Extracting iron sand samples using permanent magnets	Weighing the iron sand to synthesize
	
Filters iron sand solutions using paper and vacuum filters	Deposits formed after the synthesis process





Magnetite powder after drying in the oven



XRD characterization tool



SEM-EDS characterization tool

